



Title	Digital Suppression of Transmitter Leakage in FDD RF Transceivers With an Enhanced Low-Sampling Rate Behavioral Model
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effect, the input signal is usually required to be sampled at a high sampling rate, which can lead to high implementation complexity and high power consumption because the digital circuit must be operated at a high clock rate. In [3], we discovered that the aliasing effect can be compensated by using certain cross-terms in the behavioral model. This can be explained as follows.

For example, if the signal $\tilde{u}(n)$ is down-sampled by 2, to recover the lost information, the lost sample $\tilde{u}(2)$ can be approximated by the average of adjacent samples $\tilde{u}(1)$ and $\tilde{u}(3)$,

$$\tilde{u}(2) = [\tilde{u}(1) + \tilde{u}(3)]/2. \quad (1)$$

Substituting (1) into the 3rd-order polynomial of $\tilde{u}(2)$, we obtain that

$$\begin{aligned} & |\tilde{u}(2)|^2 \tilde{u}(2) \\ &= \frac{[|\tilde{u}(1)|^2 + |\tilde{u}(3)|^2 + 2|\tilde{u}(1)||\tilde{u}(3)|\cos(\theta_1 - \theta_3)] \times \tilde{u}(1)}{8} \\ &+ \frac{[|\tilde{u}(1)|^2 + |\tilde{u}(3)|^2 + 2|\tilde{u}(1)||\tilde{u}(3)|\cos(\theta_1 - \theta_3)] \times \tilde{u}(3)}{8}. \end{aligned} \quad (2)$$

where θ_1, θ_3 are the phase information of samples $\tilde{u}(1), \tilde{u}(3)$, respectively. From (2), we can see that the 3rd-order polynomial term of $\tilde{u}(2)$ can be approximated by using combination products of $\tilde{u}(1)$ and $\tilde{u}(3)$, e.g., cross-term products $|\tilde{u}(1)|^2 \tilde{u}(3)$, $|\tilde{u}(3)|^2 \tilde{u}(1)$, $|\tilde{u}(1)||\tilde{u}(3)|\tilde{u}(3)$, and $|\tilde{u}(1)||\tilde{u}(3)|\tilde{u}(1)$. In [3], we have shown that these cross-terms can be implemented by using specific nonlinear operator in DVR model, e.g., $|\tilde{u}(n-i)| - \beta_k |\tilde{u}(n)|$, where β_k is the threshold value. Experimental results showed that, by using this approach, the aliasing effect can be compensated and therefore the suppression model can be operated at a low sampling rate. To achieve high accuracy, however, a large number of cross-term products are required, which can increase the model implementation complexity.

A. Phase Approximation Issue

If we carefully investigate (2), we can see that the DVR cross terms, $|\tilde{u}(n-i)| - \beta_k |\tilde{u}(n)|$, are only able to approximate the magnitude-related nonlinearity. The phase-related element, i.e., $\cos(\theta_n - \theta_{n+i}) = \cos(\Delta\theta_n)$, is omitted. It is ok when the sampling rate is reasonably high where $\cos(\Delta\theta_n)$ can be approximated by a constant. However, under a severely reduced sampling rate, the value of the phase element $\cos(\Delta\theta_n)$ can change significantly because the phase variations between two adjacent samples can be large. In Fig. 2 (a), the experimental results illustrate the distributions of $\cos(\Delta\theta_n)$ at different sampling rates. What we found is that when the sampling rate is 368.64 MHz, around 90% of $\cos(\Delta\theta)$ is in the range of [0.98, 1]. However, after reducing the sampling rate, the probability of $\cos(\Delta\theta)$ in [0.98, 1] drops quickly, e.g., moving to the ranges of [0.85, 0.98], [0.5, 0.85], [0, 0.5]. In Fig. 2 (b), we can see that $\cos(\Delta\theta)$ distribution is spread in a wider range at 61.44 MHz. This indicates that the approximation accuracy using the DVR nonlinear operators may be degraded if the variations of the phase element are not considered.

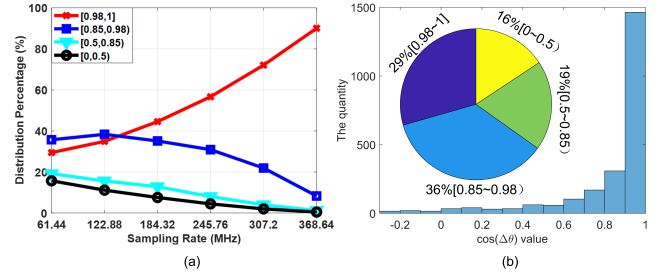


Fig. 2. (a) The distribution ranges of $\cos(\Delta\theta)$ values with respect to different sampling rates and (b) the distribution of $\cos(\Delta\theta)$ values at 61.44 MHz.

B. The Proposed Model

To accurately restore the missing digital samples and their corresponding high-order nonlinearities, both magnitude and phase approximations must be taken into account. After a thorough investigation and considering the special characteristics of the DVR model, we find that, the phase variation can be included in the model approximation by directly inserting the cross-term summation $[\tilde{u}(n-i) + \tilde{u}(n-i+1)]$ into the DVR operator, namely, using $|\tilde{u}(n-i) + \tilde{u}(n-i+1)| - \beta_k |\tilde{u}(n)|$, instead of $|\tilde{u}(n-i)| - \beta_k |\tilde{u}(n)|$. Because the summation of $[\tilde{u}(n-i) + \tilde{u}(n-i+1)]$ includes phase variations between two adjacent samples, the model accuracy now can be improved.

The direct summation of $[\tilde{u}(n-i) + \tilde{u}(n-i+1)]$ puts the same weight on the adjacent samples. In practical applications, the PA nonlinearity may be affected differently by the different samples. To flexibly adjust the weighting ratio, we introduce a parameter λ into the cross-term summation and obtain $[\tilde{u}(n-i) + \lambda\tilde{u}(n-i+1)]$. The final suppression model is expressed as

$$\begin{aligned} \tilde{z}(n) &= \sum_{i=0}^M \tilde{c}_{i,0} \tilde{u}(n-i) \\ &+ \sum_{k=1}^K \sum_{i=0}^M \{ \tilde{c}_{ki,1} [|\tilde{u}(n-i) + \lambda\tilde{u}(n-i+1)| - (1+\lambda)\beta_k] \\ &\quad \cdot e^{j\theta(n-i)} \} \\ &+ \sum_{k=1}^K \sum_{i=0}^M \{ \tilde{c}_{ki,21} [|\tilde{u}(n-i) + \lambda\tilde{u}(n-i+1)| - (1+\lambda)\beta_k] \\ &\quad \cdot e^{j\theta(n-i)} \cdot |\tilde{u}(n)| \} \\ &+ \dots \end{aligned} \quad (3)$$

where the inner $|\cdot|$ returns the magnitude of input, while the outer $|\cdot|$ denotes the absolute value operation. To maintain linear in parameter, we can set λ to a fixed value and use linear optimization algorithms to extract the initial model coefficients. Later a $\pm\Delta\lambda$ perturbation or parameter sweep can be carried out to search the optimal coefficients.

III. EXPERIMENTAL RESULTS

To verify the proposed model, a PA test platform was set up, as described in [3]. In the TX chain, the baseband signal in in-phase and quadrature form was modulated, up-converted to RF frequency, and amplified by the PA. In the receiver

(RX) chain, PA output was sampled and sent to a PC. The time alignment and model extraction were operated off-line in MATLAB.

For a fair comparison, all the experimental conditions were set the same as that in [3]. An in-house designed LDMOS PA was operated at 2.14 GHz and excited by a 20-MHz input signal with 6.5 dB PAPR. The PA output spectrum was captured at a high sampling rate of 368.64 MSPS, from which a 20-MHz sideband was filtered as TX leakage. The TX-RX frequency gap was 30.72MHz. The residual interference was obtained by subtracting the sideband replica from TX leakage interference. For comparison, the TX leakage suppression at a full speed is shown in Fig. 3 (a). After down-sampling from 368.64 MHz to 61.44 MHz, a strong aliasing interference is shown in Fig. 3 (b).

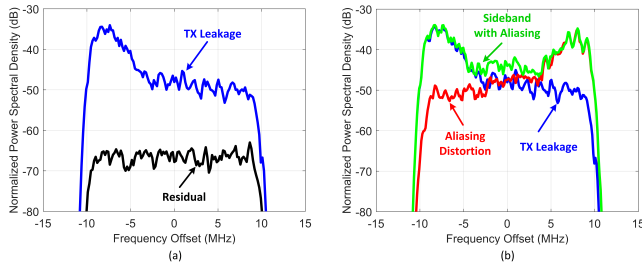


Fig. 3. (a) The full-band performance reference and (b) the spectral demonstration with aliasing effect.

In the low-sampling rate scenario, the proposed model was compared against the DVR model. The DVR model applies 83 coefficients, $M=3$, $K=10$. On the contrary, with $M=4$ and $K=5$, the proposed model deploys 59 coefficients. To determine λ value, the parameter sweep method has been conducted. The Normalized Mean Squared Error (NMSE) value of sideband replica with respect to λ value is depicted in Fig. 4 (a). It indicates that when $\lambda=6.3$, the proposed model can achieve an optimal sideband estimation. In low sampling rate scenario, the performance comparisons of DVR and proposed models are illustrated in Fig. 4 (b) and Table I. It reports that the proposed model can improve the suppression performance with a smaller number of coefficients. Moreover, it shows that with $\lambda=1.0$, satisfactory results can be achieved. In applications with less stringent requirements, λ could be preset as 1.0 to reduce the complexity of model extraction.

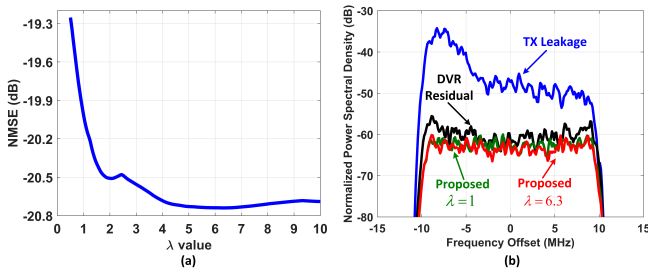


Fig. 4. (a) The relationship between λ and NMSE and (b) the suppression comparisons between the DVR model and the proposed model.

TABLE I
COMPARISONS BETWEEN DVR AND THE PROPOSED MODEL

	No. of Coeff.	NMSE (dB)	Residual Interference (dB)
DVR model	83	-17.48	-60
Proposed Model	59 ($\lambda = 6.3$)	-20.73	-62.3
	59 ($\lambda = 1.0$)	-20.02	-61.5

More experiments were carried out to verify the proposed model in different sampling rates. The full-band sampling rate was down sampled to 92.16 MHz, 73.73 MHz and 61.44 MHz, respectively. The results in Fig. 5 (a) show that λ value affects the accuracy more at lower sampling rates. This is because phase variations appear more significant at a lower sampling rate. Furthermore, at sampling rate of 61.44 MHz, the curves of NMSE against λ with different receiver bandwidths are shown in Fig. 5 (b). All the curves exhibit the similar trends, which confirms the effectiveness and stability of the proposed model.

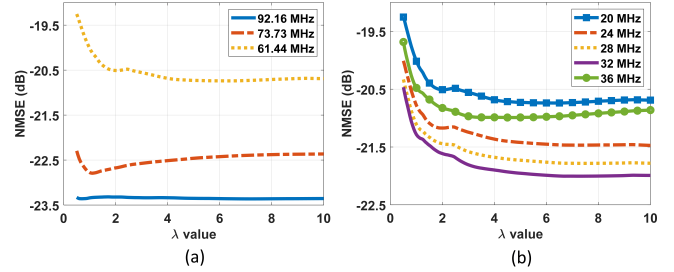


Fig. 5. (a) The relationship of NMSE vs. λ at different sampling rates and (b) NMSE vs. λ with different receiver bandwidths.

IV. CONCLUSION

An enhanced sideband suppression model has been introduced. The experimental results showed that the proposed model can effectively improve the sideband suppression performance with a smaller number of model coefficients. It can be a promising technique to be deployed in wideband 5G communication systems.

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